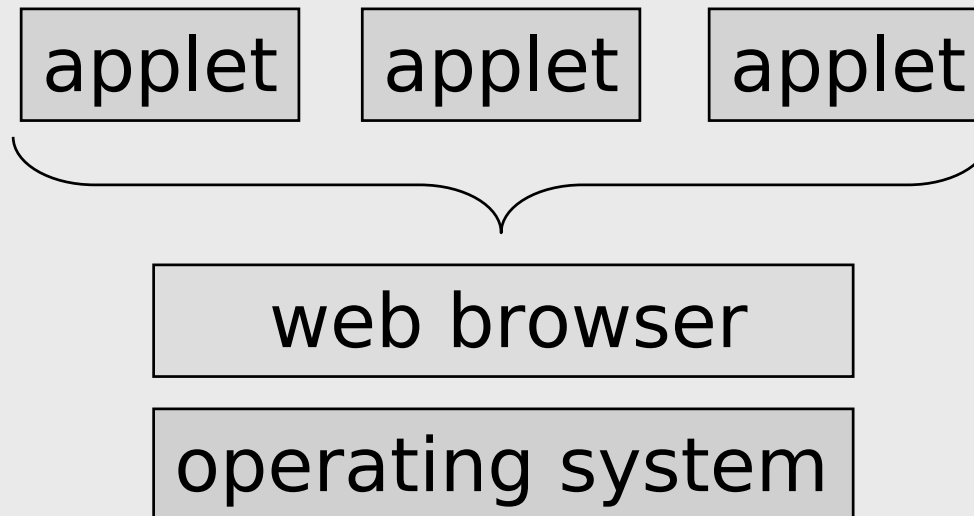


Current Techniques in Language-based Security

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Mobile Code

- Modern languages like Java and C# have been designed for Internet applications and extensible systems



- PDA's, Cell Phones, Smart Cards, ...

Applet Security Problems

- Protect OS & other valuable resources.
- Applets should not:
 - crash browser or OS
 - execute “rm -rf /”
 - be able to exhaust resources
- Applets should:
 - be able to access *some* system resources (e.g. to display a picture)
 - be isolated from each other
- Principles of least privileges and complete mediation apply

Java and C# Security

- Static Type Systems
 - Memory safety and jump safety
- Run-time checks for
 - Array index bounds
 - Downcasts
 - Access controls
- Virtual Machine / JIT compilation
 - Bytecode verification
 - Enforces encapsulation boundaries (e.g. private field)
- Garbage Collected
 - Eliminates memory management errors
- Library support
 - Cryptography, authentication, ...



These lectures

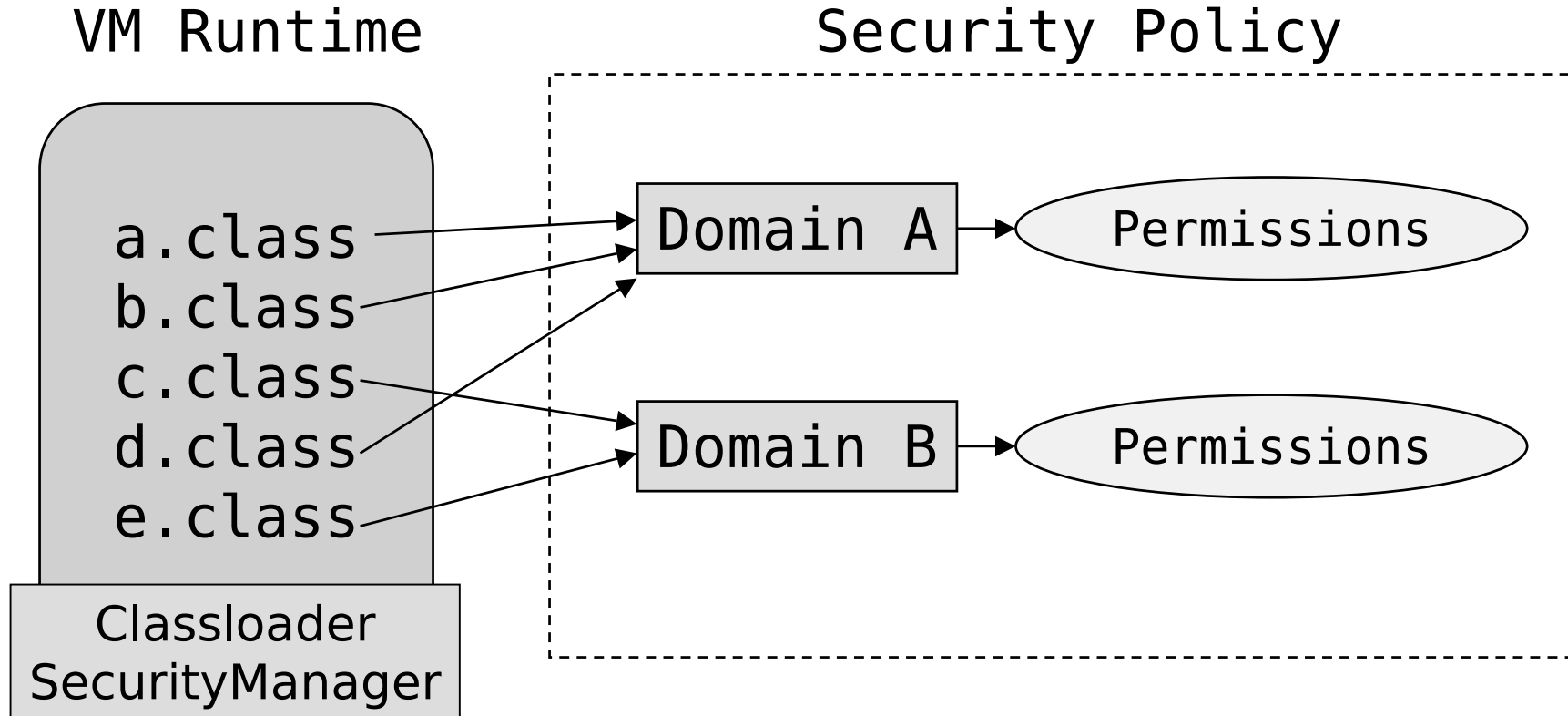
Access Control for Applets

- What level of granularity?
 - Applets can touch some parts of the file system but not others
 - Applets can make network connections to some locations but not others
- Different code has different levels of trustworthiness
 - `www.l33t-hax0rs.com` vs. `www.java.sun.com`
- Trusted code can call untrusted code
 - e.g. to ask an applet to repaint its window
- Untrusted code can call trusted code
 - e.g. the paint routine may load a font
- How is the access control policy specified?

Outline

- Java Security Model (C# similar)
- Stack inspection
 - Concrete examples
- Semantics from a PL perspective
 - Formalizing stack inspection
 - Reasoning about programs that use stack inspection
 - Type systems for stack inspection
- Discussion & Related work
 - Relate stack inspection to information flow

Java Security Model



<http://java.sun.com/j2se/1.4.2/docs/guide/security/spec/security-specTOC.fm.html>

Kinds of Permissions

- java.security.Permission Class

```
perm = new java.io.FilePermission("/tmp/abc", "read");
```

```
java.security.AllPermission
```

```
java.security.SecurityPermission
```

```
java.security.UnresolvedPermission
```

```
java.awt.AWTPermission
```

```
java.io.FilePermission
```

```
java.io.SerializablePermission
```

```
java.lang.reflect.ReflectPermission
```

```
java.lang.RuntimePermission
```

```
java.net.NetPermission
```

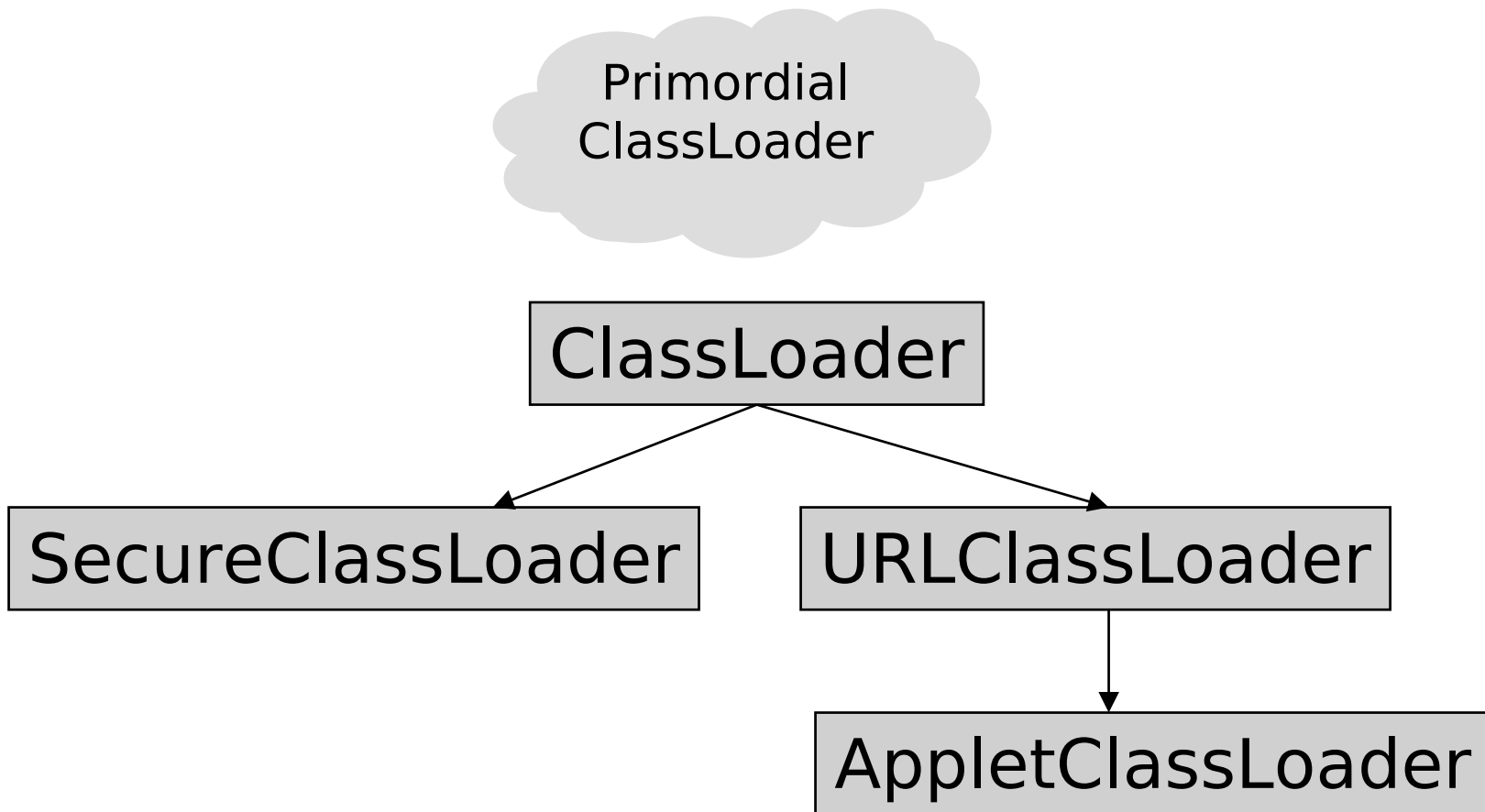
```
java.net.SocketPermission
```

```
...
```


Code Trustworthiness

- How does one decide what protection domain the code is in?
 - Source (e.g. local or applet)
 - Digital signatures
 - C# calls this “evidence based”
- How does one decide what permissions a protection domain has?
 - Configurable – administrator file or command line
- Enforced by the classloader

ClassLoader Hierarchy



ClassLoader Resolution

- When loading the first class of an application, a new instance of the URLClassLoader is used.
- When loading the first class of an applet, a new instance of the AppletClassLoader is used.
- When `java.lang.Class.forName` is directly called, the primordial class loader is used.
- If the request to load a class is triggered by a reference to it from an existing class, the class loader for the existing class is asked to load the class.
- Exceptions and special cases... (e.g. web browser may reuse applet loader)

Example Java Policy

```
grant codeBase "http://www.l33t-hax0rz.com/*" {  
    permission java.io.FilePermission("/tmp/*", "read,write");  
}  
  
grant codeBase "file://$JAVA_HOME/lib/ext/*" {  
    permission java.security.AllPermission;  
}  
  
grant signedBy "trusted-company.com" {  
    permission java.net.SocketPermission(...);  
    permission java.io.FilePermission("/tmp/*", "read,write");  
    ...  
}
```

Policy information stored in:

\$JAVA_HOME/lib/security/java.policy
\$USER_HOME/.java.policy
(or passed on command line)

Example Trusted Code

Code in the System protection domain

```
void fileWrite(String filename, String s) {
    SecurityManager sm = System.getSecurityManager();
    if (sm != null) {
        FilePermission fp = new FilePermission(filename, "write");
        sm.checkPermission(fp);
        /* ... write s to file filename (native code) ... */
    } else {
        throw new SecurityException();
    }
}
```

```
public static void main(...) {
    SecurityManager sm = System.getSecurityManager();
    FilePermission fp = new FilePermission("/tmp/*", "write,...");
    sm.enablePrivilege(fp);
    UntrustedApplet.run();
}
```

Example Client

Applet code obtained from
<http://www.l33t-hax0rz.com/>

```
class UntrustedApplet {
  void run() {
    ...
    s.FileWrite("/tmp/foo.txt", "Hello!");
    ...
    s.FileWrite("/home/stevez/important.tex", "kwijibo");
    ...
  }
}
```

Stack Inspection

- Stack frames are annotated with their protection domains and any enabled privileges.
- During inspection, stack frames are searched from most to least recent:
 - fail if a frame belonging to someone not authorized for privilege is encountered
 - succeed if activated privilege is found in frame

Stack Inspection Example

```
main(...){  
  fp = new FilePermission("/tmp/*", "write,...");  
  sm.enablePrivilege(fp);  
  UntrustedApplet.run();  
}
```

Policy Database



Stack Inspection Example

Policy Database

```
main(...){  
  fp = new FilePermission("/tmp/*", "write,...");  
  sm.enablePrivilege(fp);  
  UntrustedApplet.run();  
}
```

fp

Stack Inspection Example

```
void run() {  
    ...  
    s.FileWrite("/tmp/foo.txt", "Hello!");  
    ...  
}
```

```
main(...){  
    fp = new FilePermission("/tmp/*", "write,...");  
    sm.enablePrivilege(fp);  
    UntrustedApplet.run();  
}
```

fp

Policy Database

Stack Inspection Example

```
void fileWrite("/tmp/foo.txt", "Hello!") {  
    fp = new FilePermission("/tmp/foo.txt", "write")  
    sm.checkPermission(fp);  
    /* ... write s to file filename ... */  
}
```

```
void run() {  
    ...  
    s.FileWrite("/tmp/foo.txt", "Hello!");  
    ...  
}
```

```
main(...){  
    fp = new FilePermission("/tmp/*", "write,...");  
    sm.enablePrivilege(fp);  
    UntrustedApplet.run();  
}
```

fp

Policy Database

Stack Inspection Example

```
void fileWrite("/tmp/foo.txt", "Hello!") {  
    fp = new FilePermission("/tmp/foo.txt", "write")  
    sm.checkPermission(fp);  
    /* ... write s to file filename ... */  
}
```

```
void run() {  
    ...  
    s.FileWrite("/tmp/foo.txt", "Hello!");  
    ...  
}
```

```
main(...){  
    fp = new FilePermission("/tmp/*", "write,...")  
    sm.enablePrivilege(fp);  
    UntrustedApplet.run();  
}
```

Succeed!

Policy Database

Stack Inspection Example

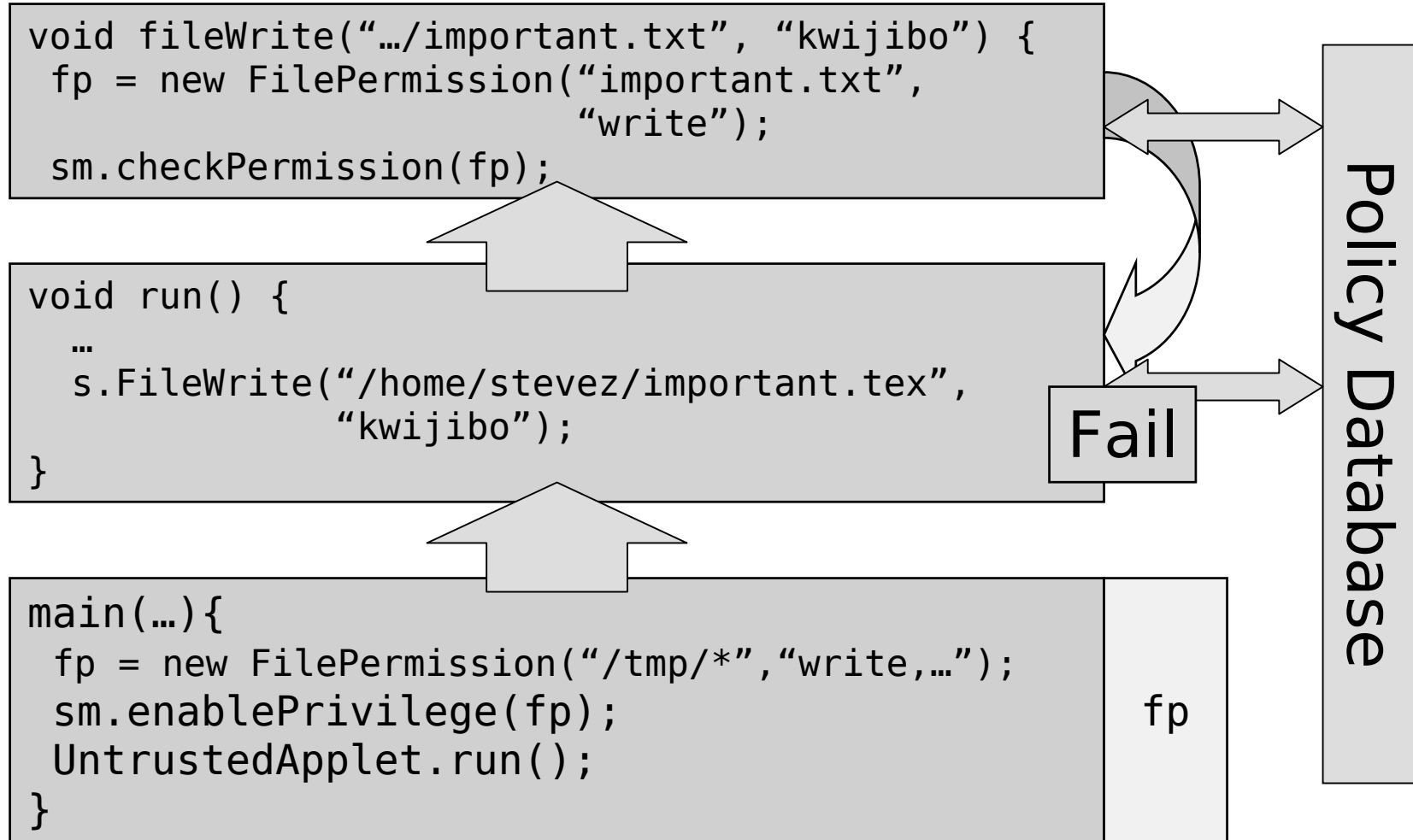
```
void run() {  
    ...  
    s.FileWrite("/home/stevez/important.tex",  
                "kwijibo");  
}
```

```
main(...){  
    fp = new FilePermission("/tmp/*", "write,...");  
    sm.enablePrivilege(fp);  
    UntrustedApplet.run();  
}
```

fp

Policy Database

Stack Inspection Example



Other Possibilities

- The `fileWrite` method could enable the write permission itself
 - Potentially dangerous, should not base the file to write on data from the applet
 - ... but no enforcement in Java (information flow would help here)
- A trusted piece of code could *disable* a previously granted permission
 - Terminate the stack inspection early

Stack Inspection Algorithm

```
checkPermission(T) {  
  // loop newest to oldest stack frame  
  foreach stackFrame {  
    if (local policy forbids access to T by class executing in  
        stack frame) throw ForbiddenException;  
  
    if (stackFrame has enabled privilege for T)  
      return; // allow access  
  
    if (stackFrame has disabled privilege for T)  
      throw ForbiddenException;  
  }  
  
  // end of stack  
  if (Netscape || ...) throw ForbiddenException;  
  if (MS IE4.0 || JDK 1.2 || ...) return;  
}
```


Two Implementations

- On demand –
 - On a checkPermission invocation, actually crawl down the stack, checking on the way
 - Used in practice
- Eagerly –
 - Keep track of the current set of available permissions during execution (security-passing style Wallach & Felten)
 - + more apparent (could print current perms.)
 - more expensive (checkPermission occurs infrequently)

Stack Inspection

- Stack inspection seems appealing:
 - Fine grained, flexible, configurable policies
 - Distinguishes between code of varying degrees of trust
- But...
 - How do we understand what the policy is?
 - Semantics tied to the operational behavior of the program (defined in terms of stacks!)
 - How do we compare implementations
 - Changing the program (e.g. optimizing it) may change the security policy
 - Policy is distributed throughout the software, and is not apparent from the program interfaces.
 - Is it any good?

Stack Inspection Literature

- A Systematic Approach to Static Access Control
François Pottier, Christian Skalka, Scott Smith
- Stack Inspection: Theory and Variants
Cédric Fournet and Andrew D. Gordon
- Understanding Java Stack Inspection
Dan S. Wallach and Edward W. Felten
 - Formalize Java Stack Inspection using ABLP logic

Formalizing Stack Inspection

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Stack Inspection

- Stack frames are annotated with their protection domains and any enabled privileges.
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Abstract Stack Inspection

- Abstract permissions

$p, q \in P$ Set of all permissions
 $R, S \subseteq P$ Principals (sets of permissions)

- Hide the details of classloading, etc.
- Examples:
System = {fileWrite("f1"), fileWrite("f2"),...}
Applet = {fileWrite("f1")}

λ sec Syntax

- Language syntax:

$e, f ::=$		expressions	
x		variable	
$\lambda x.e$		function	
$e f$		application	
$R\{e\}$		framed expr	
$\text{enable } p \text{ in } e$		enable	
$\text{test } p \text{ then } e \text{ else } f$		check perm.	
fail		failure	
$v ::= x$		$\lambda x.e$	values
$o ::= v$		fail	outcome

Framing a Term

- Models the Classloader that marks the (unframed) code with its protection domain:

$$R[x] = x$$
$$R[\lambda x. e] = \lambda x. R\{R[e]\}$$
$$R[e f] = R[e] R[f]$$
$$R[\text{enable } p \text{ in } e] = \text{enable } p \text{ in } R[e]$$
$$R[\text{test } p \text{ then } e \text{ else } f] = \\ \text{test } p \text{ then } R[e] \text{ else } R[f]$$
$$R[\text{fail}] = \text{fail}$$

Example

```
readFile =  
  λfileName.System{  
    test fileWrite(fileName) then  
    ... // primitive file IO (native code)  
    else fail  
  }
```

```
Applet{readFile "f2"} ↓↓ fail  
System{readFile "f2"} ↓↓ <f2 contents>
```

λ_{sec} Operational Semantics

- Evaluation contexts:

$E ::=$

$[]$

Hole

$E e$

Eval. Function

$v E$

Eval. Arg.

$\text{enable } p \text{ in } E$

Tagged frame

$R\{E\}$

Frame

- E models the control stack

λ_{sec} Operational Semantics

$E[(\lambda x.e) v] \rightarrow E[e\{v/x\}]$

$E[\text{enable } p \text{ in } v] \rightarrow E[v]$

$E[R\{v\}] \rightarrow E[v]$

$E[\text{fail}] \rightarrow \text{fail}$

$E[\text{test } p \text{ then } e \text{ else } f] \rightarrow E[e]$

if $\text{Stack}(E) \vdash p$

$E[\text{test } p \text{ then } e \text{ else } f] \rightarrow E[f]$

if $\neg(\text{Stack}(E) \vdash p)$

Stack
Inspection

$e \Downarrow o \text{ iff } e \rightarrow^* o$

Example Evaluation Context

```
Applet{readFile "f2"}
```

```
E = Applet{[]}  
r = readfile "f2"
```

Example Evaluation Context

```
Applet{readFile "f2"}
```

```
E = Applet{[]}
```

```
r = (λfileName.System{  
  test fileWrite(fileName) then  
  ... // primitive file IO (native code)  
  else fail  
})  
"f2"
```

Example Evaluation Context

```
Applet{readFile "f2"}
```

```
E = Applet{[]}
```

```
r = System{  
  test fileWrite("f2") then  
  ... // primitive file IO (native code)  
  else fail  
}
```

Example Evaluation Context

```
Applet{System{
    test fileWrite("f2") then
    ... // primitive file IO (native code)
    else fail
}}
```


Example Evaluation Context

```
Applet{System{
  test fileWrite("f2") then
  ... // primitive file IO (native code)
  else fail
}}
```

$E' = \text{Applet}\{\text{System}\{[]\}\}$

$r' = \text{test fileWrite}(\text{"f2"}) \text{ then}$
 ... // primitive file IO (native code)
 else fail

Formal Stack Inspection

$E' = \text{Applet}\{\text{System}\{[]\}\}$

$r' = \text{test fileWrite}(\text{"f2"}) \text{ then}$

... // primitive file IO (native code)
else fail

When does stack E' allow permission
 $\text{fileWrite}(\text{"f2"})$?

$\text{Stack}(E') \vdash \text{fileWrite}(\text{"f2"})$

Stack of an Eval. Context

$\text{Stack}([\])$ = \cdot
 $\text{Stack}(E\ e)$ = $\text{Stack}(E)$
 $\text{Stack}(v\ E)$ = $\text{Stack}(E)$
 $\text{Stack}(\text{enable } p \text{ in } E)$ = $\text{enable}(p).\text{Stack}(E)$
 $\text{Stack}(R\{E\})$ = $R.\text{Stack}(E)$

$\text{Stack}(E')$
= $\text{Stack}(\text{Applet}\{\text{System}\{[\]\}\})$
= $\text{Applet}.\text{Stack}(\text{System}\{[\]\})$
= $\text{Applet}.\text{System}.\text{Stack}([\])$
= $\text{Applet}.\text{System}.$

Abstract Stack Inspection

$$\cdot \vdash p$$

empty stack axiom

$$\frac{x \vdash p \quad p \in R}{x.R \vdash p}$$

protection domain check

$$\frac{x \vdash p}{x.\text{enable}(q) \vdash p}$$

$p \neq q$ irrelevant enable

$$\frac{x \vDash p}{x.\text{enable}(p) \vdash p}$$

check enable

Abstract Stack Inspection

$\cdot \models p$

empty stack enables all

$$\frac{p \in R}{x.R \models p}$$

enable succeeds*

$$\frac{x \models p}{x.\text{enable}(q) \models p}$$

irrelevant enable

* Enables should occur only in trusted code

Equational Reasoning

$e \Downarrow$ iff there exists o such that $e \Downarrow o$

Let $C[]$ be an arbitrary program context.

Say that $e \approx e'$ iff

for all $C[]$, if $C[e]$ and $C[e']$ are closed then

$C[e] \Downarrow$ iff $C[e'] \Downarrow$.

Example Inequality

let $x = e$ in $e' = (\lambda x.e') e$

$ok = \lambda x.x$

$loop = (\lambda x.x x)(\lambda x.x x)$ (note: $loop \Downarrow$)

$f = \lambda x. \text{let } z = x \text{ ok in } \lambda _ . z$

$g = \lambda x. \text{let } z = x \text{ ok in } \lambda _ . (x \text{ ok})$

Claim: $f \not\approx g$

Proof:

Let $C[] = \emptyset\{[] \lambda _ . \text{test } p \text{ then } loop \text{ else } ok\} ok$

Example Continued

- $C[f] = \emptyset\{f \lambda_ .test \ p \ \text{then loop else ok}\} \ \text{ok}$
- $\rightarrow \emptyset\{\text{let } z =$
 $(\lambda_ .test \ p \ \text{then loop else ok}) \ \text{ok}$
 $\text{in } \lambda_ .z\} \ \text{ok}$
 - $\rightarrow \emptyset\{\text{let } z = \text{test } p \ \text{then loop else ok}$
 $\text{in } \lambda_ .z\} \ \text{ok}$
 - $\rightarrow \emptyset\{\text{let } z = \text{ok in } \lambda_ .z\} \ \text{ok}$
 - $\rightarrow \emptyset\{\lambda_ .ok\} \ \text{ok}$
 - $\rightarrow (\lambda_ .ok) \ \text{ok}$
 - $\rightarrow \text{ok}$

Example Continued

- $C[g] = \emptyset\{g \lambda_ .test p \text{ then loop else ok}\} ok$
- $\rightarrow \emptyset\{let z =$
 $(\lambda_ .test p \text{ then loop else ok}) ok$
 $in \lambda_ .((\lambda_ .test p \text{ then loop else ok}) ok)\} ok$
 - $\rightarrow \emptyset\{let z = test p \text{ then loop else ok}$
 $in \lambda_ . ((\lambda_ .test p \text{ then loop else ok}) ok)\} ok$
 - $\rightarrow \emptyset\{let z = ok$
 $in \lambda_ . ((\lambda_ .test p \text{ then loop else ok}) ok)\} ok$
 - $\rightarrow \emptyset\{\lambda_ . ((\lambda_ .test p \text{ then loop else ok}) ok)\} ok$
 - $\rightarrow (\lambda_ . ((\lambda_ .test p \text{ then loop else ok}) ok)) ok$
 - $\rightarrow (\lambda_ .test p \text{ then loop else ok}) ok$
 - $\rightarrow test p \text{ then loop else ok}$
 - $\rightarrow loop \rightarrow loop \rightarrow loop \rightarrow loop \rightarrow \dots$

Example Applications

Eliminate redundant annotations:

$$\lambda x.R\{\lambda y.R\{e\}\} \approx \lambda x.\lambda y.R\{e\}$$

Decrease stack inspection costs:

$$e \approx \text{test } p \text{ then (enable } p \text{ in } e) \text{ else } e$$

Axiomatic Equivalence

Can give a sound set of equations \equiv that characterize \approx . Example axioms:

- \equiv is a congruence (preserved by contexts)
- $(\lambda x.e) v \equiv e\{v/x\}$ (beta equivalence)
- $x \notin \text{fv}(v) \Rightarrow \lambda x.v \equiv v$
- $\text{enable } p \text{ in } o \equiv o$
- $\text{enable } p \text{ in } (\text{enable } q \text{ in } e) \equiv \text{enable } q \text{ in } (\text{enable } p \text{ in } e)$
- $R \supseteq S \Rightarrow R\{S\{e\}\} \equiv S\{e\}$
- $R\{S\{\text{enable } p \text{ in } e\}\} \equiv R \cup \{p\}\{S\{\text{enable } p \text{ in } e\}\}$
- ... many, many more

\equiv Implies \approx

Example: Tail Calls

Ordinary evaluation:

$$R\{(\lambda x.S\{e\}) v\} \rightarrow R\{S\{e\{v/x\}\}\}$$

Tail-call eliminated evaluation:

$$R\{(\lambda x.S\{e\}) v\} \rightarrow S\{e\{v/x\}\}$$

Not sound in general!

But OK in special cases.

Example: Tail Calls

Suppose $R \supseteq S$. Then:

$$\begin{aligned} & R\{(\lambda x.S\{e\}) v\} \\ \equiv & R\{S\{e\{v/x\}\}\} \\ \equiv & S\{e\{v/x\}\} \\ \equiv & S\{e\}\{v/x\} \\ & (\lambda x.S\{e\}) v \end{aligned}$$

In particular, code within a protection domain can safely make tail calls to other code in that domain.

Example: Higher-order Code

```
main = System [ λh.(h ok ok)]
```

```
fileHandler =  
  System[λs.λc.λ_.c (readFile s)]
```

```
leak = Applet[λs.output s]
```

```
main(λ_.Applet{fileHandler "f2" leak})
```

Example: Higher-order Code

- `main($\lambda_.$ Applet{fileHanler "f2" leak})`
- \rightarrow^* `System{Applet{fileHandler "f2" leak} okS}`
- \rightarrow^* `System{Applet{System{System{ $\lambda_.$ System{leak (readFile "f2")}}}} okS}`
- \rightarrow^* `System{ $\lambda_.$ System{leak (readFile "f2")} okS}`
- \rightarrow^* `System{System{leak <f2 contents>}}`
- \rightarrow^* `System{System{Applet{output <f2 contents>}}}`
- \rightarrow^* `System{System{Applet{ok}}}`
- \rightarrow^* `ok`

Next Time

- Static analysis for stack inspection
 - Type system for stack inspection
- Connections to information-flow analysis

Stack Inspection: Translation & Static Analysis

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Types for Stack Inspection

- Want to do static checking of λ_{sec} code
 - Statically detect security failures.
 - Eliminate redundant checks.
 - Example of nonstandard type system for enforcing security properties.
- Type system based on work by Pottier, Skalka, and Smith:
 - “A Systematic Approach to Static Access Control”
- Explain the type system by taking a detour through “security-passing” style.
 - See Wallach’s & Felten’s

λ sec Syntax

- Language syntax:

<code>e, f ::=</code>	expressions
<code>x</code>	variable
<code>$\lambda x. e$</code>	function
<code>e f</code>	application
<code>R{e}</code>	framed expr
<code>enable p in e</code>	enable
<code>test p then e else f</code>	check perm.
<code>let x = e in f</code>	local decl.

- Restrict the use of “fail” in the source language

Adding Static Checking

- New expression form:

check p then e

- Operationally, equivalent to:

test p then e else fail

- But, the type system will ensure that the check always succeeds.

Security-passing Style

- Basic idea: Convert the “stack-crawling” form of stack inspection into a “permission-set passing style”
 - Compute the set of current permissions at any point in the code.
 - Make the set of permissions explicit as an extra parameter to functions (hence “security-passing style)
- Target language is untyped lambda calculus with a primitive datatype of sets.

YAFOSI

Yet another formalization of stack inspection:

Compute the set T of permissions granted by stack x given starting with static permissions R and dynamic permissions S .

Compute the order the stack is built).

Change to $\emptyset; \emptyset; x$ for the “least privileges” version

$$\frac{P; P; x \vdash T \quad p \in T}{x \vdash p}$$

“Eager” Stack Inspection

$R; S; . \vdash S$

Bottom of the stack

$R'; S \cap R'; x \vdash T$

$R; S; R'.x \vdash T$

New prot. Domain.

$R; S \cup (\{p\} \cap R); x \vdash T$

$R; S; \text{enable}(p).x \vdash T$

Enabled permission.

Inspection Correspondence

Lemma: $\text{Stack}(E) \vdash p$ in the first formulation
iff $\text{Stack}(E) \vdash p$ in the eager formulation.

Target Language: λ set

- Language syntax:

$e, f ::=$

x

$\lambda x. e$

$e f$

fail

$\text{let } x = e \text{ in } f$

$\text{if } p \in se \text{ then } e \text{ else } f$

se

expressions

variable

function

application

failure

local decl.

member test

set expr.

- $se ::=$

S

$se \cup se$

$se \cap se$

x

perm. set

union

intersection

Translation: λ_{sec} to λ_{set}

- $[[e]]R$ = “translation of e in domain R ”
- $[[x]]R$ = x
- $[[\lambda x.e]]R$ = $\lambda x.\lambda s. [[e]]R$
- $[[e f]]R$ = $[[e]]R \ [[f]]R \ s$
- $[[\text{let } x = e \text{ in } f]]R$ = $\text{let } x = [[e]]R \text{ in } [[f]]R$
- $[[\text{enable } p \text{ in } e]]R$ = $\text{let } s = s \cup (\{p\} \cap R) \text{ in } [[e]]R$
- $[[R' \{e\}]]R$ = $\text{let } s = s \cap R' \text{ in } [[e]]R'$
- $[[\text{check } r \text{ then } e]]R$ = $\text{if } r \in s \text{ then } [[e]]R \text{ else fail}$
- $[[\text{test } r \text{ then } e1 \text{ else } e2]]R$
= $\text{if } r \in s \text{ then } [[e1]]R \text{ else } [[e2]]R$
- Top level translation: $[[e]] = [[e]]P\{P/s\}$

Example Translation

System = {"f1", "f2", "f3"}

Applet = {"f1"}

h = System{enable "f1" in
Applet{(λx .
System{check "f1" then write x})
"kwijibo"}}}

Example Translation

```
[[h]] =  (* System *)
        let s = P ∩ {"f1", "f2", "f3"} in
        (* enable "f1" *)
        let s = s ∪ ({"f1"} ∩ {"f1", "f2", "f3"}) in
        (* Applet *)
        let s = s ∩ {"f1"} in
        (λx.λs.
         (* System *)
         let s = s ∩ {"f1", "f2", "f3"} in
         if "f1" ∈ s then write x else fail)
        "kwijibo" s
```

“Administrative” Evaluation

(1) let $s = e$ in $f \rightarrow_a f\{R/s\}$ if $e \rightarrow^* R$

(2) $E[e] \rightarrow_a E[e']$ if $e \rightarrow_a e'$

For example:

$[[h]] \rightarrow_a^*$

$(\lambda x. \lambda s.$

(System *)*

let $s = s \cap \{“f1”, “f2”, “f3”\}$ in

if “f1” \in s then write x else $()$

“kwijibo” {“f1”}

Stack Inspection Lemma

Lemma:

- Suppose $R; S; \text{Stack}(E) \vdash T$.
Then there exist E' and R' such that
for all (source) e :

$$[[E[e]]]R\{S/s\} \rightarrow_a^* E'[[[e]]R'\{T/s\}]$$

Proof (sketch): By induction on structure of E .

Translation Correctness (1)

Lemma:

- If $e \rightarrow e'$ then there is an f such that $[[e]] \rightarrow^* f$ and $[[e']] \rightarrow_a^* f$
- Furthermore, if $e \rightarrow e'$ is a beta step, then $[[e]] \rightarrow^* f$ includes at least one beta step.

Proof (sketch): Induction on the evaluation step taken. Uses the stack inspection lemma.

Translation Correctness

Theorem:

- If $e \rightarrow^* v$ then $[[e]] \rightarrow^* [[v]]$
- If $e \rightarrow^* \text{fail}$ then $[[e]] \rightarrow^* \text{fail}$
- Furthermore, if e diverges, so does $[[e]]$.

Proof (sketch): Use the lemma on the previous slide.

Stepping Back

- Have two formulations of stack inspection: “original” and “eager”
- Have a translation to a language that manipulates sets of permissions explicitly.
 - Includes the “administrative” reductions that just compute sets of permissions.
 - Similar computations can be done statically!

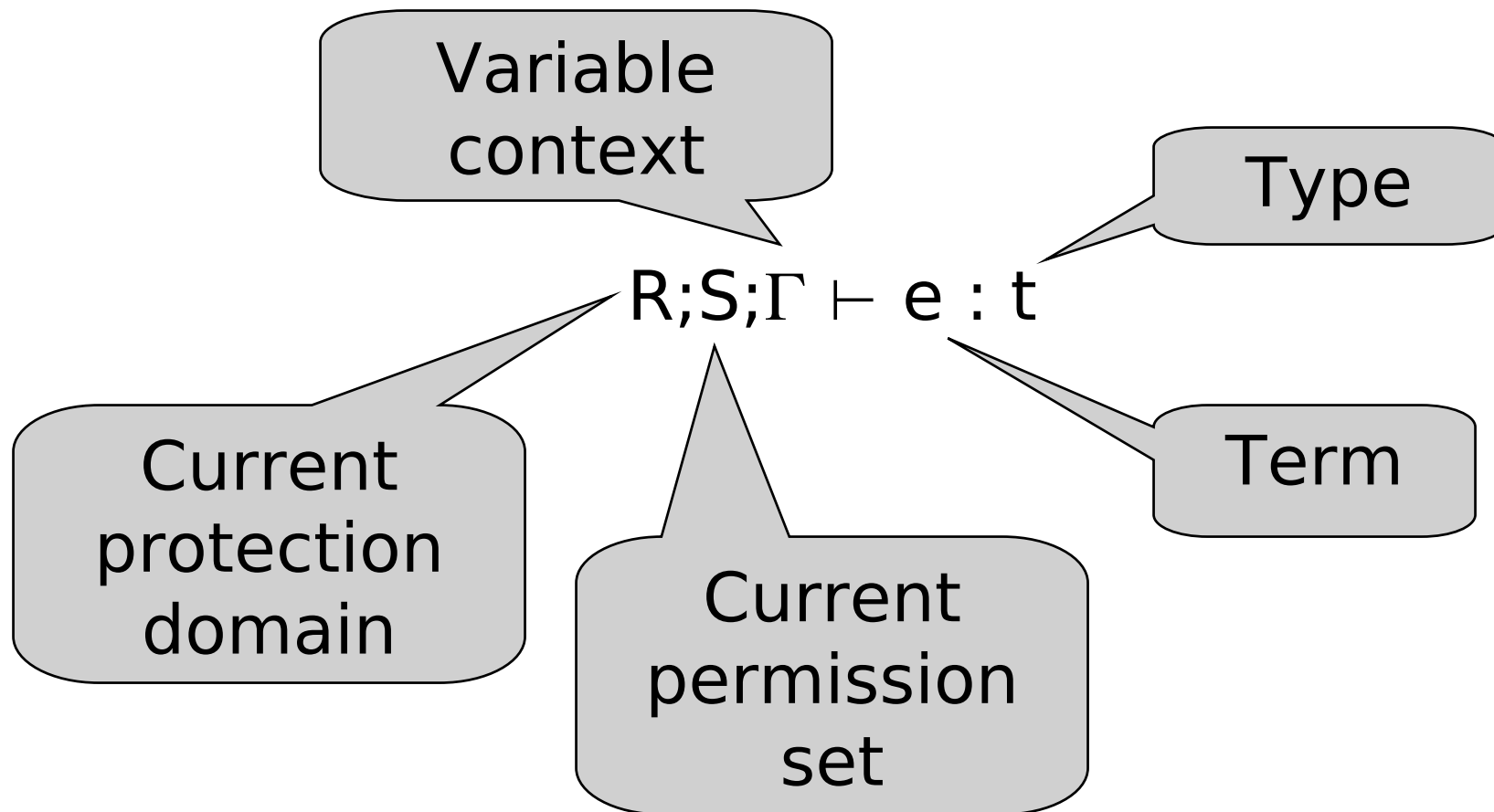
Deriving a Type System

- Eager stack inspection judgment:

$$R; S; \text{Stack}(E) \vdash T$$

- Statically track the current protection domain
- Statically track the currently enabled permissions
- Use the expression instead of $\text{Stack}(E)$

Typing Judgments



Form of types

- Only interesting (non administrative) change during compilation was for functions:

$$[[\lambda x.e]]R = \lambda x.\lambda s. [[e]]R$$

- Source type: $t \rightarrow u$
- Target type: $t \rightarrow s \rightarrow u$
- The 2nd argument, is always a set, so we “specialize” the type to:
 $t - \{S\} \rightarrow u$

Types

- Types:

$t ::=$

int, string, ...

$t - \{S\} \rightarrow t$

types

base types

functions

Simple Typing Rules

Variables: $R;S;\Gamma \vdash x : \Gamma(x)$

Abstraction:

$$\frac{R;S';\Gamma, x:t1 \vdash e : t2}{R;S;\Gamma \vdash \lambda x.e : t1 -\{S'\} \rightarrow t2}$$

More Simple Typing Rules

Application:

$$\frac{R;S;\Gamma \vdash e : t \quad R;S;\Gamma \vdash f : t}{R;S;\Gamma \vdash e f : t} \text{-}\{S\} \rightarrow t'$$

Let:

$$\frac{R;S;\Gamma \vdash e : u \quad R;S;\Gamma, x:u \vdash f : t}{R;S;\Gamma \vdash \text{let } x = e \text{ in } f : t}$$

Typing Rules for Enable

Enable fail:
$$\frac{R;S;\Gamma \vdash e : t \quad p \notin R}{R;S;\Gamma \vdash \text{enable } p \text{ in } e : t}$$

Enable succeed:

$$\frac{R;S \cup \{p\};\Gamma \vdash e : t \quad p \in R}{R;S;\Gamma \vdash \text{enable } p \text{ in } e : t}$$

Rule for Check

Note that this typing rule requires that the permission p is statically known to be available.

$$\frac{R; S \cup \{p\}; \Gamma \vdash e : t}{R; S \cup \{p\}; \Gamma \vdash \text{check } p \text{ then } e : t}$$

Rule for Test

Check the first branch under assumption that p is present, check the else branch under assumption that p is absent.

$$R; S \cup \{p\}; \Gamma \vdash e : t$$

$$R; S - \{p\}; \Gamma \vdash f : t$$

$$R; S; \Gamma \vdash \text{test } p \text{ then } e \text{ else } f : t$$

Rule for Protection Domains

Intersect the permissions in the static protection domain with the current permission set.

$$S'; S \cap S'; \Gamma \vdash e : t$$

$$R; S; \Gamma \vdash S' \{e\} : t$$

Weakening (Subsumption)

It is always safe to “forget” permissions.

$$\frac{R;S';\Gamma \vdash e : t \quad S' \subseteq S}{R;S;\Gamma \vdash e : t}$$

Type Safety

- Theorem:
If $P;P;\emptyset \vdash e : t$ then either $e \rightarrow^* v$ or e diverges.
- In particular: e never fails. (i.e. check always succeeds)
- Proof:
Preservation & Progress.

Example: Good Code

```
h = System{enable "f1" in
  Applet{( $\lambda$ x.
    System{check "f1" then write x})
    "kwijibo"}}}
```

Then $P;S;\emptyset \vdash h : \text{unit}$ for any S

Example: Bad Code

```
g = System{enable "f1" in
  Applet{( $\lambda$ x.
    System{check "f2" then write x})
    "kwijibo"}}}
```

Then $R;S;\emptyset \vdash g : t$ is not derivable
for any R, S , and t .

Static vs. Dynamic Checks

Calling this function requires the *static* permission p :

$$\emptyset; \emptyset; \emptyset \vdash \lambda x. \text{check } p \text{ in } x : \text{int} - \{p\} \rightarrow \text{int}$$

Only way to call it (assuming initial perms. are empty) is to put it in the scope of a *dynamic* test:

test p then ...can call it here...
else ...may not call it here...

Expressiveness

- This type system is very simple
 - No subtyping
 - No polymorphism
 - Not algorithmic
 - Hard to do inference
- Can add all of these features...
- See François' paper for a nice example.
 - Uses Rémy's row types to describe the sets of permission.
 - Uses HM(X) – Hindley Milner with constraints
 - Also shows how to derive a type system for the source language from the translation!

Discussion

- Problem: Applets returning closures that circumvent stack inspection.
- Possible solution:
 - Values of the form: $R\{v\}$ (i.e. keep track of the protection domain of the source)
 - Similarly, one could have closures capture their current security context
 - Integrity analysis (i.e. where data comes from)
- Fournet & Gordon prove some properties of strengthened versions of stack inspection.

Stack Inspection ++

- Stack inspection enforces a form of integrity policy
- Can combine stack inspection with information-flow policies:
 - Banerjee & Naumann – Using Access Control for Secure Information Flow in a Java-like Language (CSFW'03)
 - Tse & Zdancewic – Run-time Principals in Information-flow Type Systems (IEEE S&P'04)